

**B.TECH. (AEROSPACE ENGINEERING)  
(BTAE)**

**Term-End Examination  
December, 2010**

**BAS-012 : AERODYNAMICS - I**

*Time : 3 hours*

*Maximum Marks : 70*

*Note : Q1 is COMPULSORY. Attempt any six questions from the remaining.*

1. Establish reasons for the correctness of the following statements in not more than five sentences.
  - (a) Cauchy-Reimann equations are always satisfied by flow for which stream function and velocity potential function exist. 2
  - (b) Kutta condition gives unique way of choosing the circulation for an aerofoil and there by determine lift. 2
  - (c) The continuity equation is equivalent to the statement that the divergence of velocity vector must vanish. 2
  - (d) For a flow to be irrotational, a velocity potential function must exist. 2
  - (e) Constant stream function and velocity potential lines in a flow net are orthogonal. 2

2. (a) Write the generalised equation of continuity in vector form considering compressibility and variation of density with time, 5
- (b) In a compressible flow  $u = x^3 - y^3$  and  $v = z^3 - y^3$ . Determine the third component assuming that origin is a stagnation point. 5
3. (a) Prove that streamlines can be represented by the equation  $\frac{dy}{dx} = \frac{v}{u}$  5
- (b) If for a flow  $u = 3$  m/sec and  $v = 6$  m/sec; determine the equation of streamlines passing through origin and the one passing through (2m,3m) 5
4. (a) What is a complex potential function ? 5
- (b) Derive the complex potential for uniform stream flowing in any direction 5
5. Show that the transformation  $G = \frac{1}{z}$ , transforms flow parallel to x-axis into circles. Find the radius and center of the circle. 10

6. Show that the transformation of radius  $a$  ( $a, b$ ), 10

$$G = z + \frac{b^2}{z}, \text{ transforms circle to an ellipse.}$$

7. Using kutta-zhukovsky theorem of circulation and lift, derive expression for lift as  $L = \rho UT$  where symbols have their usual meaning. 10

8. Prove that as per thin aerofoil theory, solution for 10

flat plate is  $k = 2u \alpha \frac{(1 + \cos\theta)}{\sin\theta}$ , where,  $k$  is the

distribution of velocity over the elements of camberline,  $\alpha$  is the angle of attack and  $U$  is the free stream velocity

9. List and describe subsonic wind tunnels, their components and functions 10

10. Write short notes on :

(a) Assumption and utility of thin Aerofoil theory 5

(b) Optical methods of flow visualisation in wind tunnels 5