

**B.Tech. – VIEP – COMPUTER SCIENCE AND  
ENGINEERING (BTCSVI)**

00496

**Term-End Examination**

**June, 2016**

**BICS-010 : FORMAL LANGUAGES AND  
AUTOMATA**

*Time : 3 hours*

*Maximum Marks : 70*

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**Note :** Attempt any *seven* questions. All questions carry equal marks.

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1. (a) What are the concepts of Automata Theory ?  
Explain with the help of some examples. 5
- (b) Define formal definition of finite automata.  
State the diagrams of the two-state finite automaton and five-state finite automaton. 5
2. (a) Define regular expressions and find the regular expression for the following : 5  
 $L = \{\omega \mid \text{every odd position of } \omega \text{ is a } 1 \text{ defined over } \Sigma = \{0, 1\}\}$
- (b) Prove (or) disprove the following for the regular expressions  $r$  and  $s$  : 5
- (i)  $(rs + r)^* r = r(sr + r)^*$
- (ii)  $(r^*s^*)^* = (r + s)^*$

3. (a) Show that  $L = \{\omega\omega \mid \omega \in \{a, b\}^*\}$  is not regular. 5
- (b) Prove  $L = \{\omega\omega^R \mid \omega \in (a \mid b)^*\}$  is not regular using pumping lemma. 5
4. (a) Define ambiguous grammar and give an example to show that the following grammar is ambiguous. 5
- $$S \rightarrow aSbS \mid bSaS \mid \epsilon$$
- (b) When is a grammar said to be in reduced form? Explain. 5
5. (a) Convert the following context-free grammar to pushdown automata : 5
- $$S \rightarrow aA \mid bB$$
- $$A \rightarrow aB \mid a$$
- $$B \rightarrow b$$
- (b) State and explain Myhill-Nerode theorem with the help of example grammar. 5
6. Show the equivalence of CFL and PDA. 10
7. (a) Design a Turing Machine that recognizes the set  $\{0^{2n} 1^n \mid n \geq 0\}$ . 5
- (b) Design a Turing Machine which will recognize the strings containing equal number of 0's and 1's. 5

8. (a) What is recursively enumerable language ?  
Explain with the help of an example. 5
- (b) Show that if  $L$  and  $L^R$  are recursively enumerable, then  $L$  is recursive. 5
9. (a) What are NP Complete and NP Hard problems ? Explain with the help of examples. 5
- (b) Find whether the post correspondence problem  $P = \{\{10, 101\}, \{011, 11\}, \{101, 011\}\}$  has a match. Give the solution. 5
10. (a) What is halting problem ? Explain. 5
- (b) Explain Turing reducibility machine. 5
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