

01375

**B. Tech. IN ELECTRONICS AND
COMMUNICATION ENGINEERING**

Term-End Examination

June, 2012

BIEL-010 : DIGITAL SIGNAL PROCESSING

Time : 3 Hours

Maximum Marks : 70

Note : Attempt any seven questions. Each question carries ten marks. Use of scientific calculator is permitted.

1. What is DFT ? Summarise its properties and write the supporting mathematical derivations. 10
2. Describe the relationship of Discrete Fourier transform with Fourier transform, Z-transform and Fourier series coefficients. 10
3. What is an FFT Algorithm ? How does it improve the computation efficiency of DFT ? Briefly explain a direct computation method of the DFT. 10
4. Explain the characteristics of a Butterworth filter. 5+5
Determine the order and the poles of a low pass butterworth filter that has a - 3 db bandwidth of 500 Hz and an attenuation of 40 db at 1000 Hz.

5. Convert the single pole low-pass Butterworth filter with system function 10

$$H(z) = \frac{0.245 (1 + z^{-1})}{1 - 0.509 z^{-1}}$$

into a bandpass filter with the upper and lower cut-off frequencies w_u and w_l respectively. The low-pass filter has 3 db bandwidth $w_p = 0.2\pi$.

6. Determine the cascade and parallel realizations for the system described by the system function. 10

$$H(z) = \left[\frac{10 \left(1 - \frac{1}{2} z^{-1}\right) \left(1 - \frac{2}{3} z^{-1}\right) (1 + 2 z^{-1})}{\left(1 - \frac{3}{4} z^{-1}\right) \left(1 - \frac{1}{8} z^{-1}\right) \left[1 - \left(\frac{1}{2} + j\frac{1}{2}\right) z^{-1}\right] \left[1 - \left(\frac{1}{2} - j\frac{1}{2}\right) z^{-1}\right]} \right]$$

7. Explain a Divide and Conquer Approach for computation of the Discrete Fourier Transform. 10

8. Explain the following methods with respect to Linear filtering. 5+5

- (a) Overlap Save method
- (b) Overlap add method

9. Explain the following structures in details with respect to FIR system. 3+3+4

- (a) Direct form structure
- (b) Cascade form structures
- (c) Lattice structures

10. Write a short note on *any two* :

2x5=10

- (a) Goertzel Algorithm
 - (b) Circular convolution
 - (c) Parseval's Theorem
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